

Structure formation in PPDs surprises from wind dynamics

Geoffroy Lesur

with thanks to

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Jonathan Ferreira (IPAG)
François Ménard (IPAG)

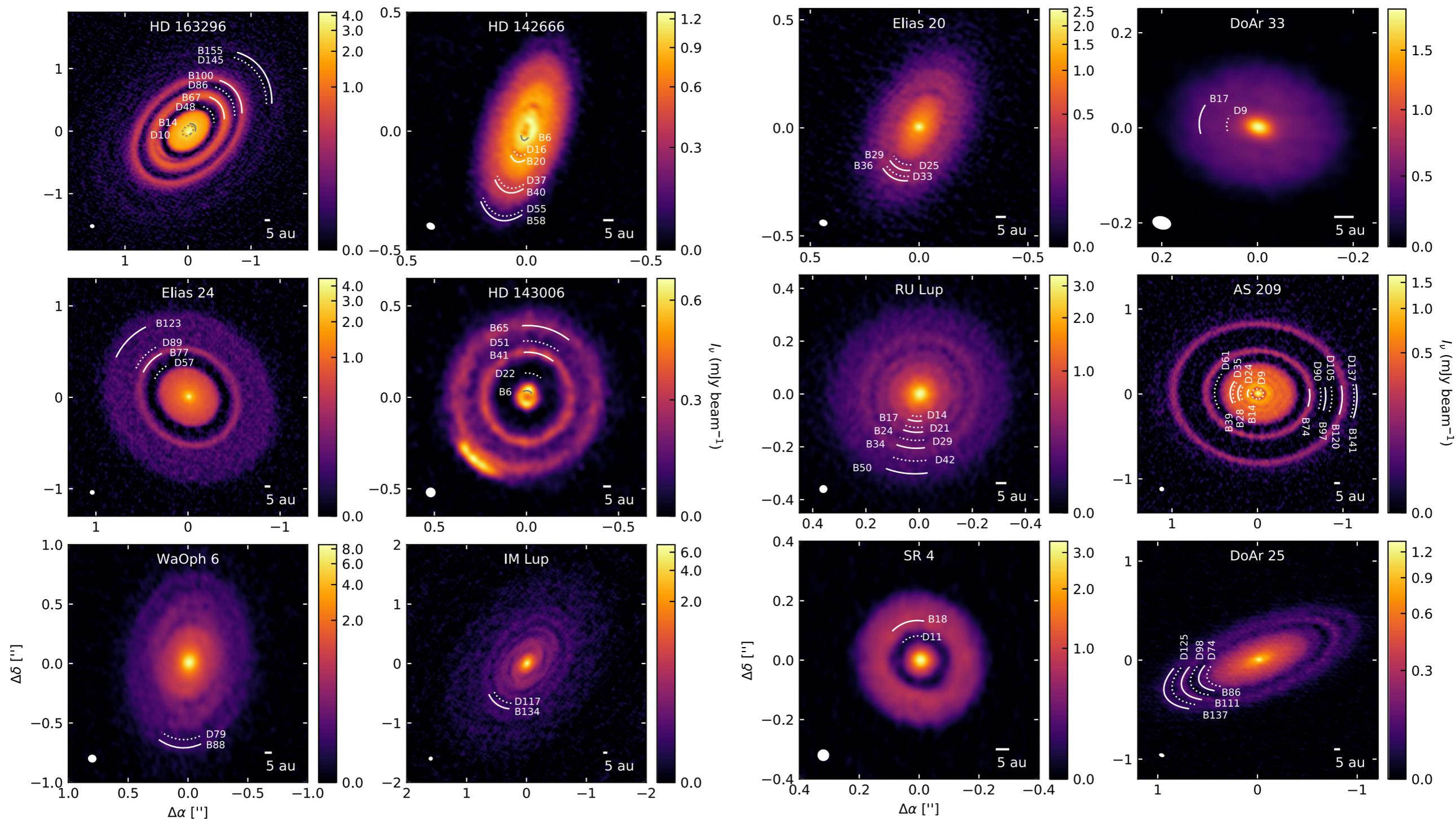
MIAPP, Oct. 13 2021



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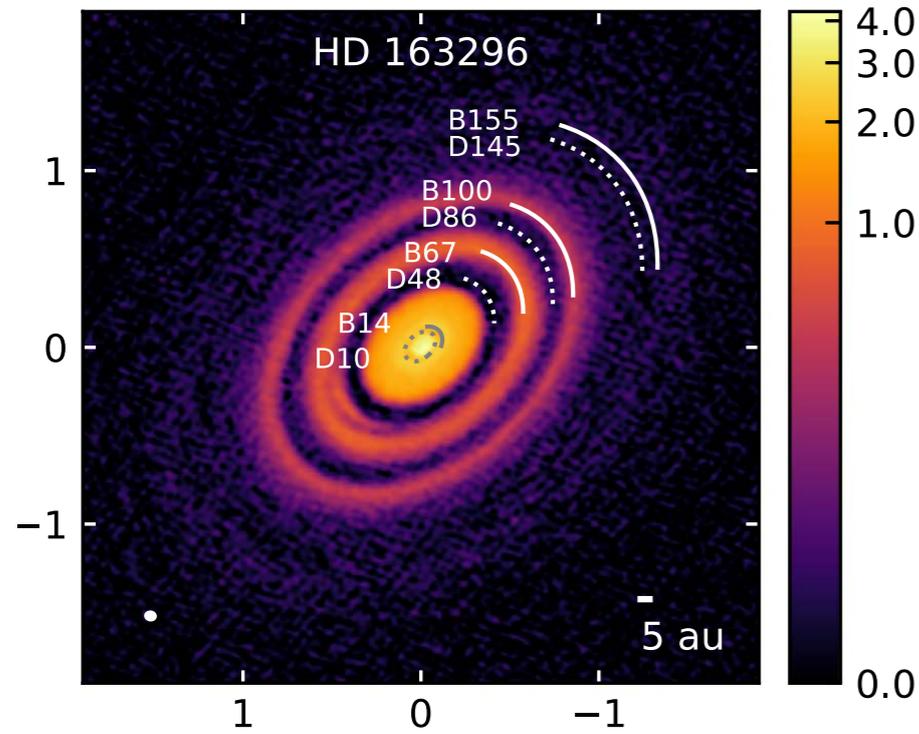


Structures are common



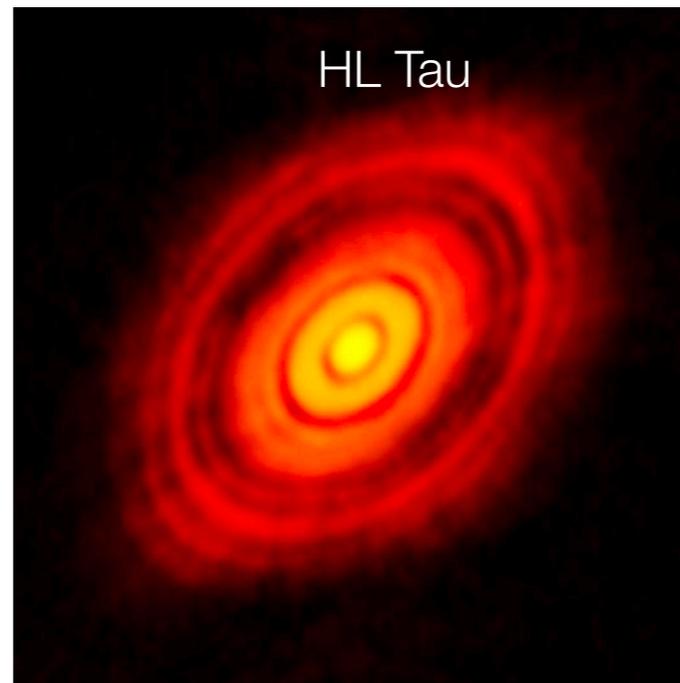
[Huang+ 2018]

Discs are accreting



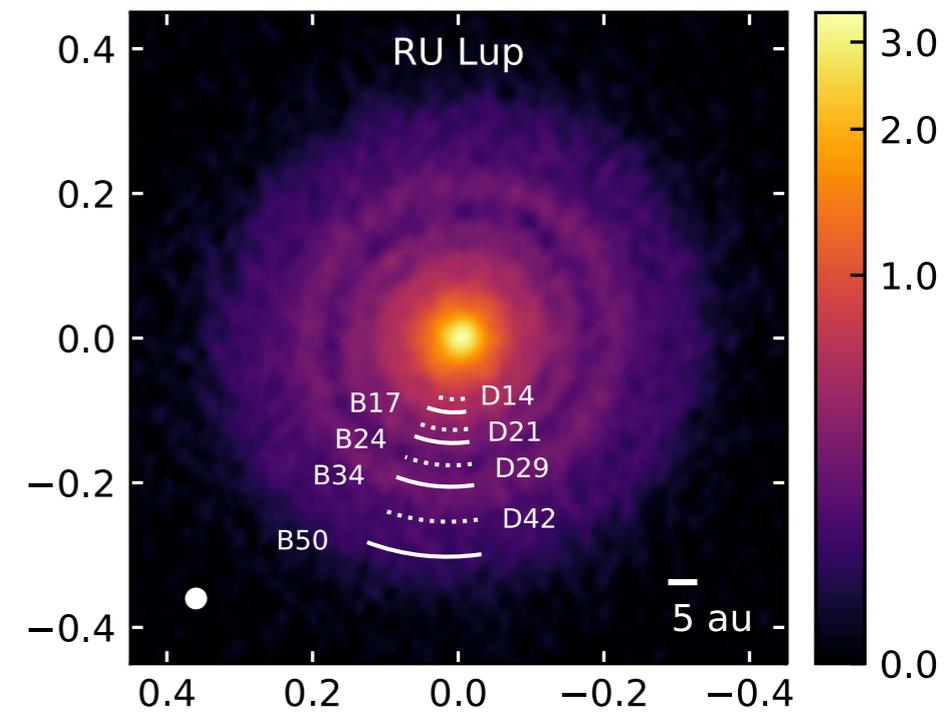
$$\dot{M} = 4.5 \times 10^{-7} M_{\odot}/\text{yr}$$

[Mendigutia+2013]



$$\dot{M} = 1 \times 10^{-7} M_{\odot}/\text{yr}$$

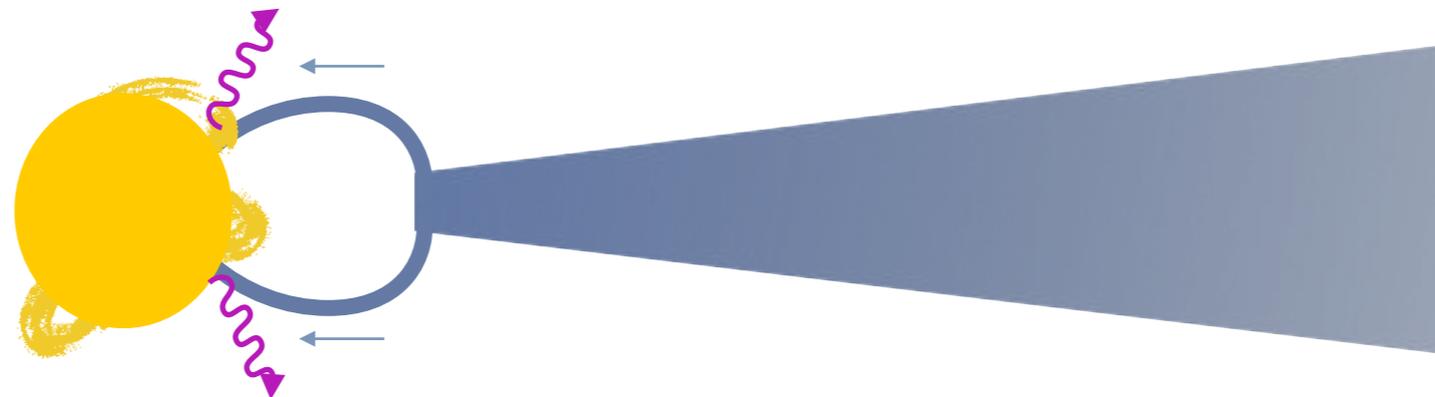
[Beck+ 2010]



$$\dot{M} = 5 \times 10^{-8} M_{\odot}/\text{yr}$$

[Herczeg+ 2005]

... and \dot{M} is measured at the stellar surface...



15 years ago, life was easy



The United Kingdom was a member of the European Union



George Bush was the US president



One didn't have to wear masks at all time

α

Discs were fully described using Shakura & Sunyaev's alpha disc

Alas, things have changed...

- Protoplanetary discs are too weakly ionised for MHD to work as initially expected [Gammie (1996) and Perez&Chiang (2011)]
- α due to MHD turbulence is too small! incompatible with observed accretion rates [Bai & Stone (2013), Lesur et al. (2014)]



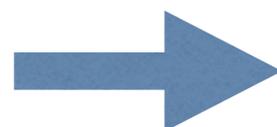
Mark Wardle



Arieh Konigl

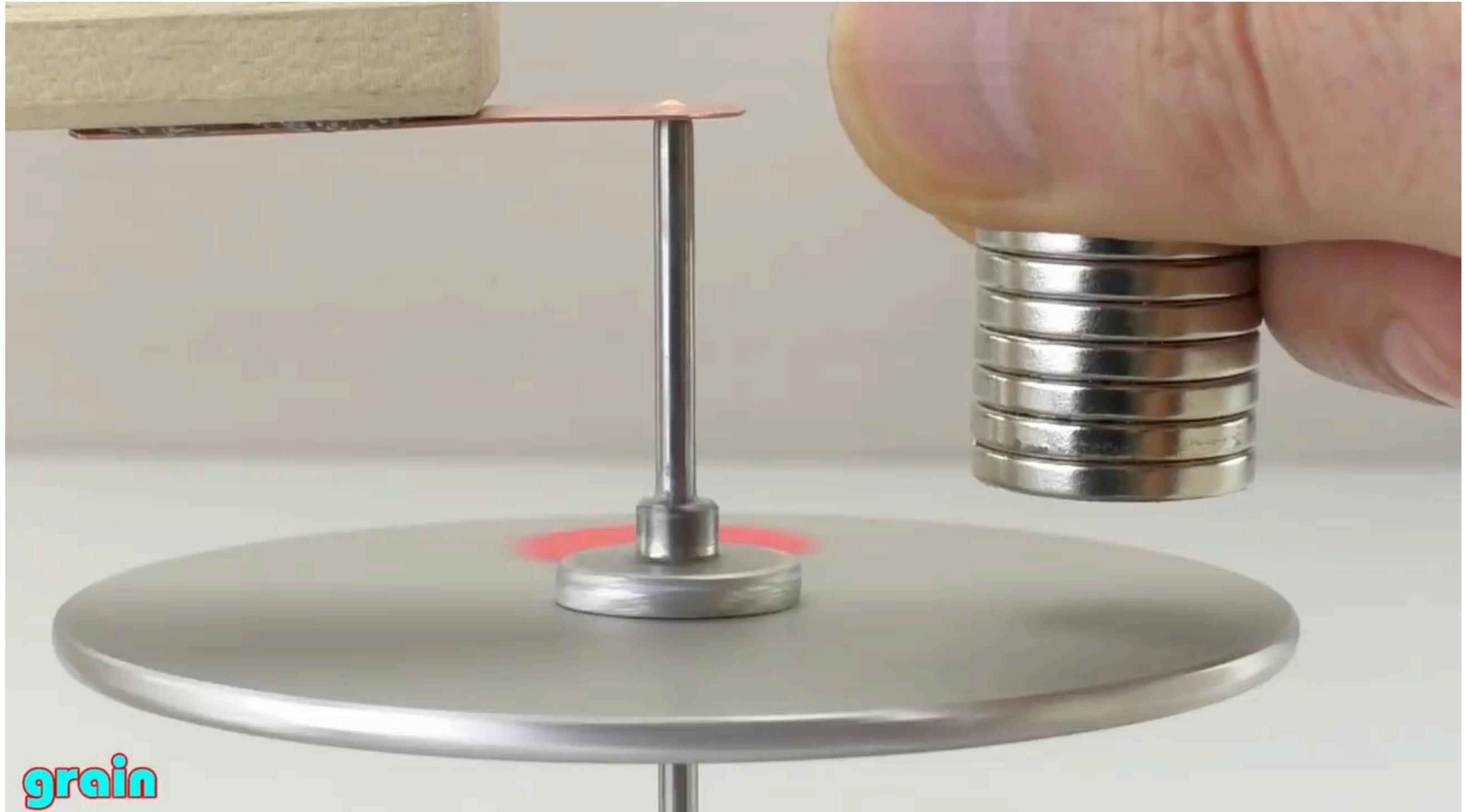
« If a weakly ionised disc is plunged in ambient magnetic field, one can still have accretion thanks to *magnetised outflows* »

[Wardle & Konigl 1993, Bai & Stone 2013]



new fashion: outflows/winds/jets...

A little experiment

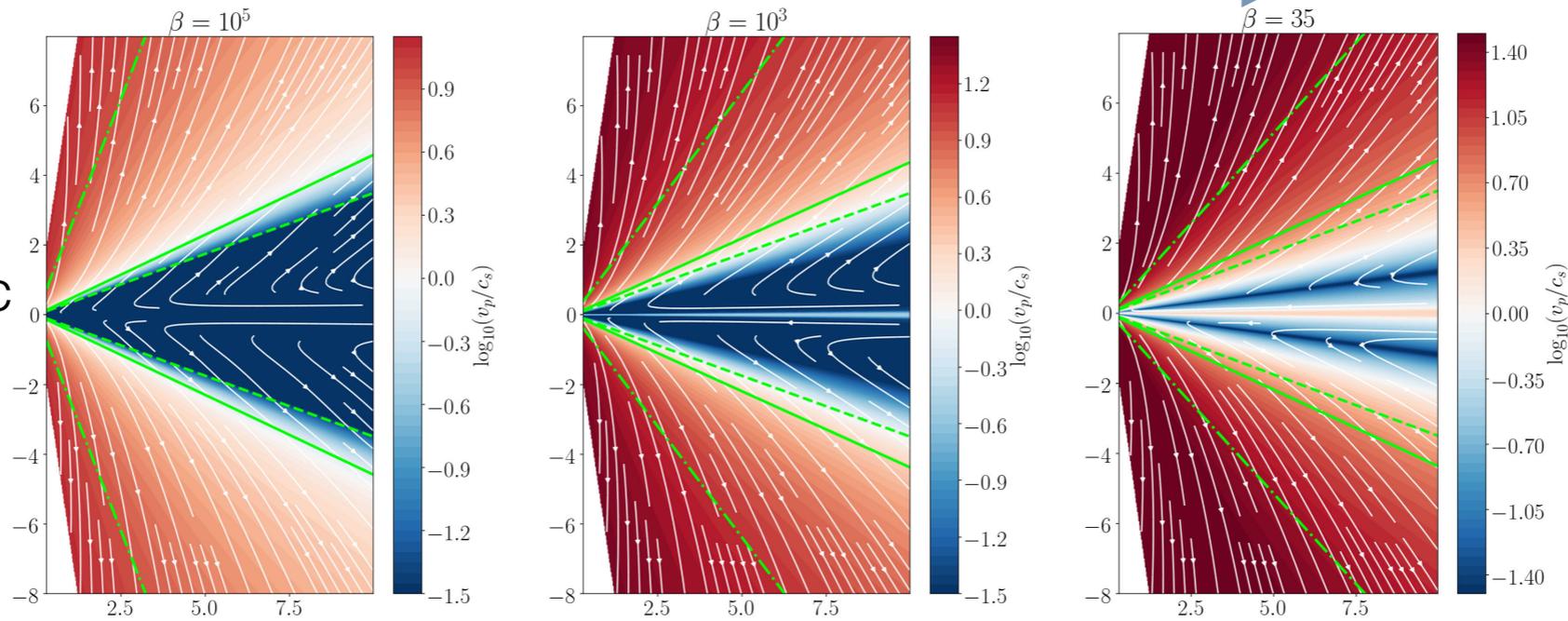


grain

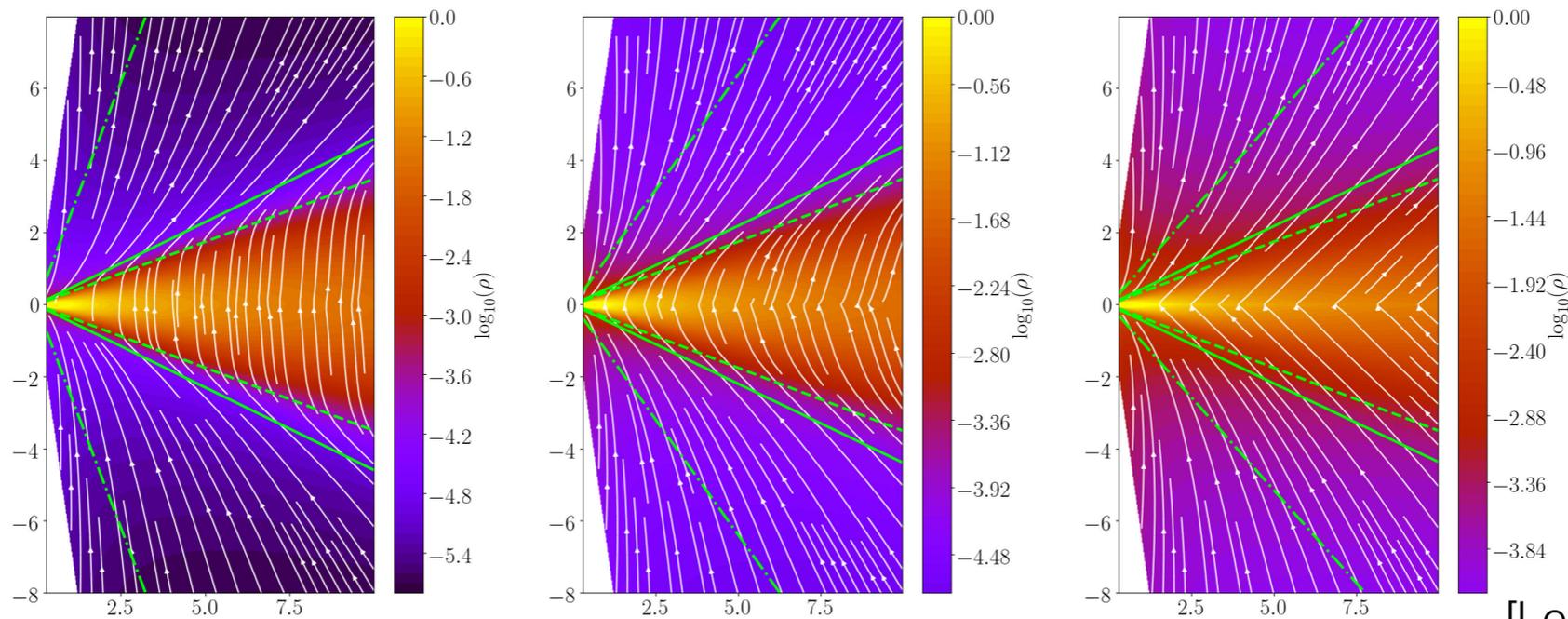
A sample of MHD disc winds

increasing field strength

Streamlines & sonic mach number



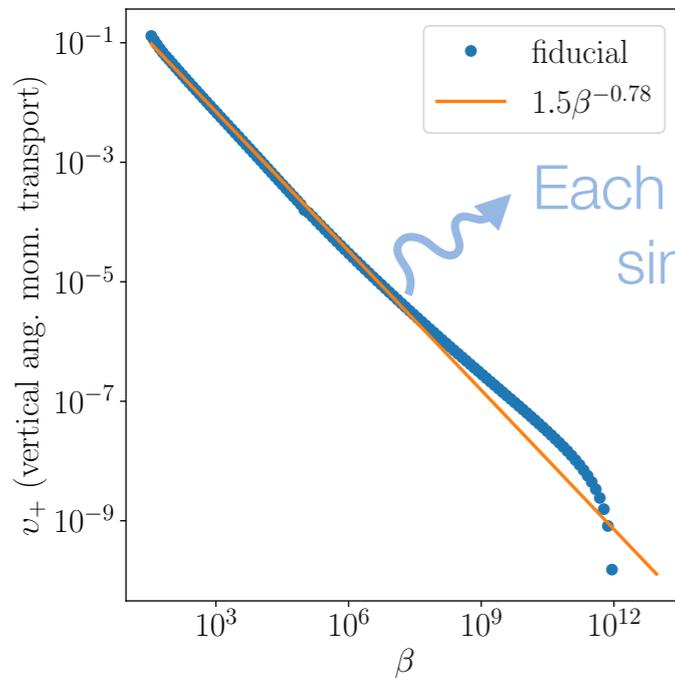
Fieldlines & gas density



[Lesur 2021]

Fig. 2. Flow topology in the fiducial run (ambipolar diffusion only $\Lambda_A = 1$). Top row: poloidal streamlines (white) and log of the sonic Mach number. Bottom row: poloidal field and log of density, normalised so that the midplane density at $R = 1$ is unity. Note that the colour scales are identical between the columns. From left to right the disc magnetisation increases: $\beta = 10^5$; 10^3 ; 35. The green lines denotes critical lines of the flow: Alfvénic (plain) and fast magnetosonic (dot-dashed). The green dashed line represents the disc "surface" where the flow becomes ideal, arbitrarily located at $z = 3.5h$ for all of the solutions.

Relating to the field strength in a wind-driven disc



Scaling laws in self-similar simulations [Lesur 2021]

Accretion rate surface density

$$\dot{M}_{\text{acc}} = 1.6 \times 10^{-8} \left(\frac{\Sigma}{10 \text{ g.cm}^{-2}} \right)^{0.22} \left(\frac{R}{10 \text{ A.U.}} \right)^{2.08} \left(\frac{M}{M_{\odot}} \right)^{-0.28} \times \left(\frac{\varepsilon}{0.1} \right)^{-0.78} \left(\frac{B_z}{1 \text{ mG}} \right)^{1.56} M_{\odot}/\text{yr.}$$

Disc aspect ratio (H/R)

$$\dot{M}_{\text{wind}} = 1.07 \dot{M}_{\text{acc}} \left(\frac{\Sigma}{10 \text{ g.cm}^{-2}} \right)^{0.09} \left(\frac{B_z}{1 \text{ mG}} \right)^{-0.18}$$

- Mass accretion is mostly controlled by the magnetic field intensity and depends *only weakly* on Σ
- Mass loss rate is approximately equal to mass accretion rate.

Pressure bumps and rings

How winds can spontaneously create pressure bumps



Antoine Riols
Former postdoc @ IPAG
now ONERA

How to make a steady pressure bump?

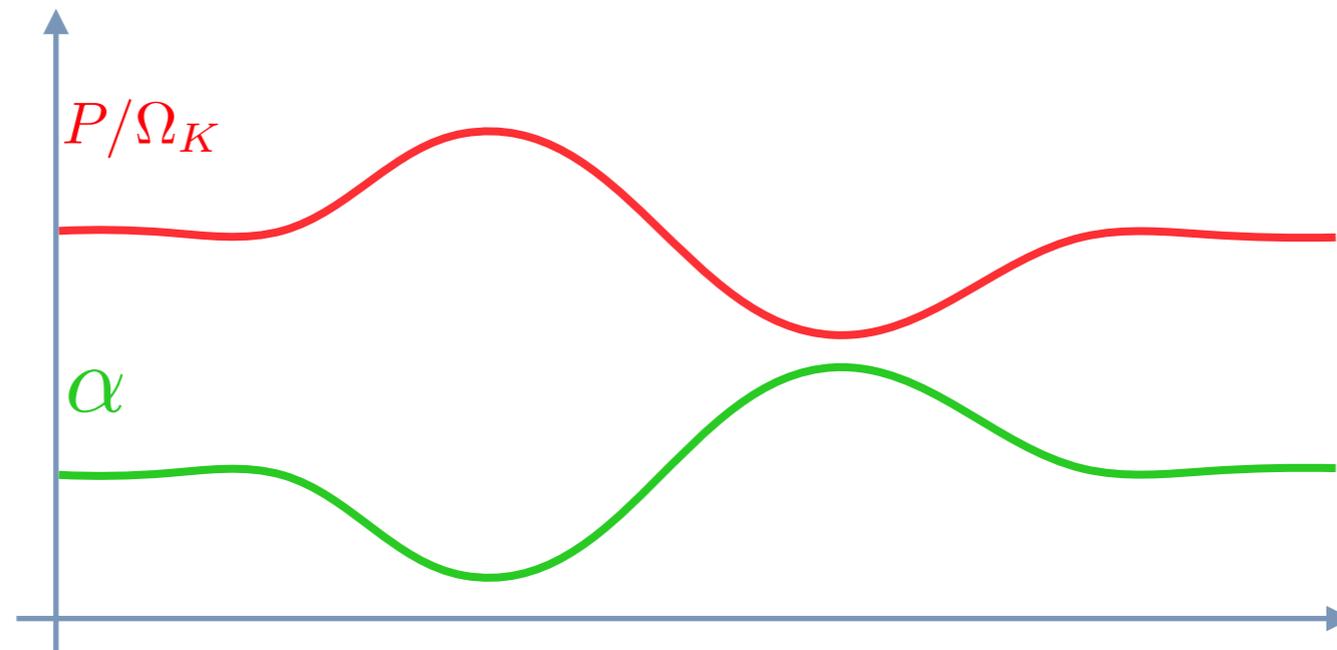
Case I: viscosity

Viscous theory: $\cancel{\frac{\partial \Sigma}{\partial t}} + \frac{1}{2\pi R} \frac{\partial}{\partial R} \dot{M}_{acc} = 0,$

steady state $\frac{\dot{M}_{acc} \Omega_K}{4\pi} = \frac{1}{R} \frac{\partial}{\partial R} (R^2 \alpha P)$

$\alpha P = \frac{\dot{M}_{acc}}{2\pi} \Omega_K$

→ viscosity and pressure are anti-correlated



→ Pressure bumps are expected in association with low viscosity regions

How to make a steady pressure bump?

Case II: winds

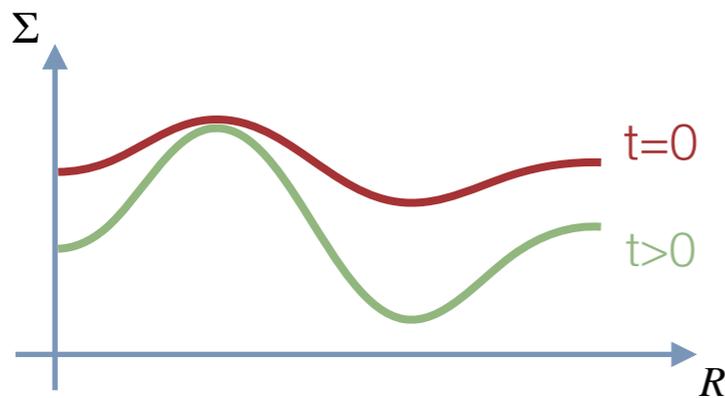
Viscous theory+wind:

$$\frac{\partial \Sigma}{\partial t} + \frac{1}{2\pi R} \frac{\partial}{\partial R} \dot{M}_{acc} = -\zeta \Sigma \Omega_K,$$

wind mass-loss rate parameter

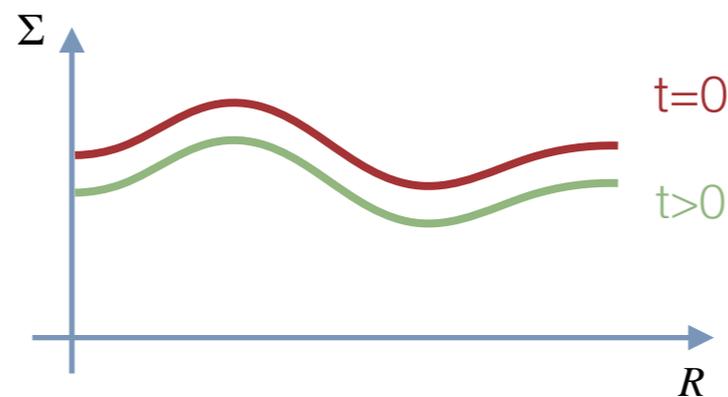
3 possible cases (ignoring \dot{M}_{acc} for the moment)

$$\frac{d\zeta}{d\Sigma} < 0$$



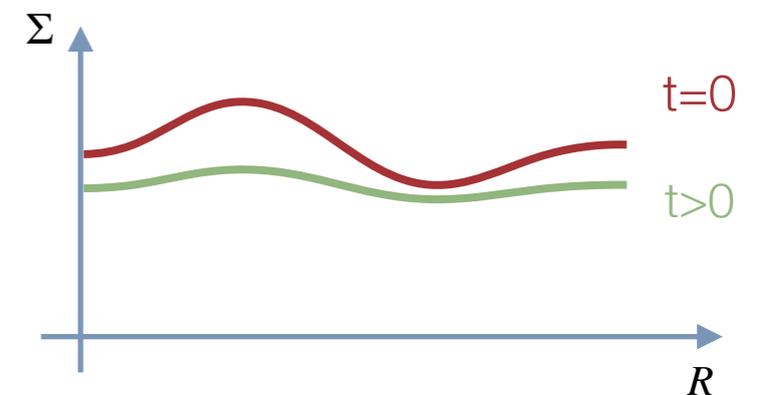
ex: MHD-driven winds
(assuming constant B)

$$\frac{d\zeta}{d\Sigma} = 0$$



ex: photo-evaporative winds

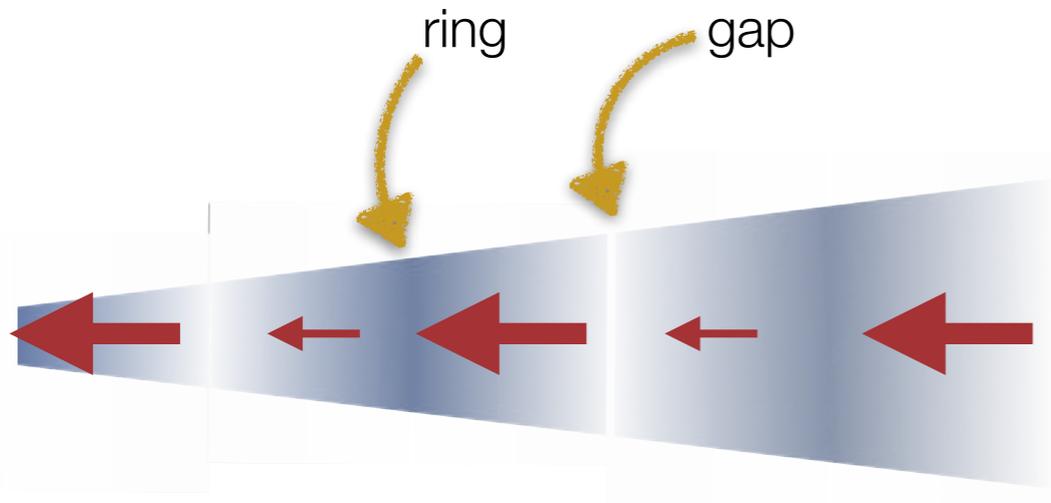
$$\frac{d\zeta}{d\Sigma} > 0$$



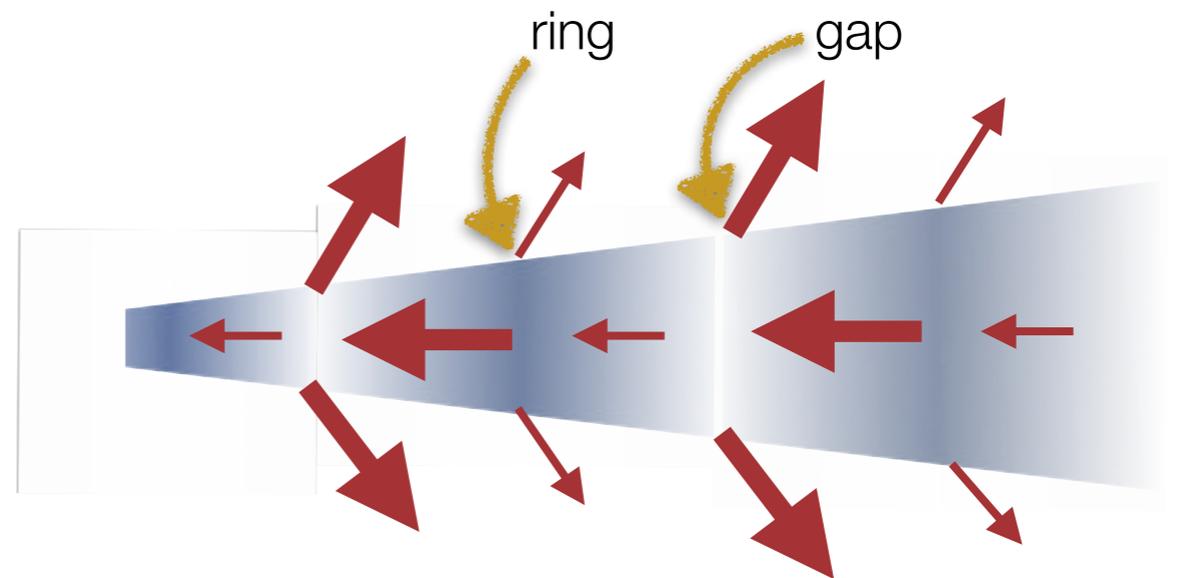
➔ Pressure bumps are expected in association with low mass-loss rate regions

Viscosity or wind-driven?

- Viscosity maxima in gaps (more turbulence?)
- Accretion flow diverges from gaps

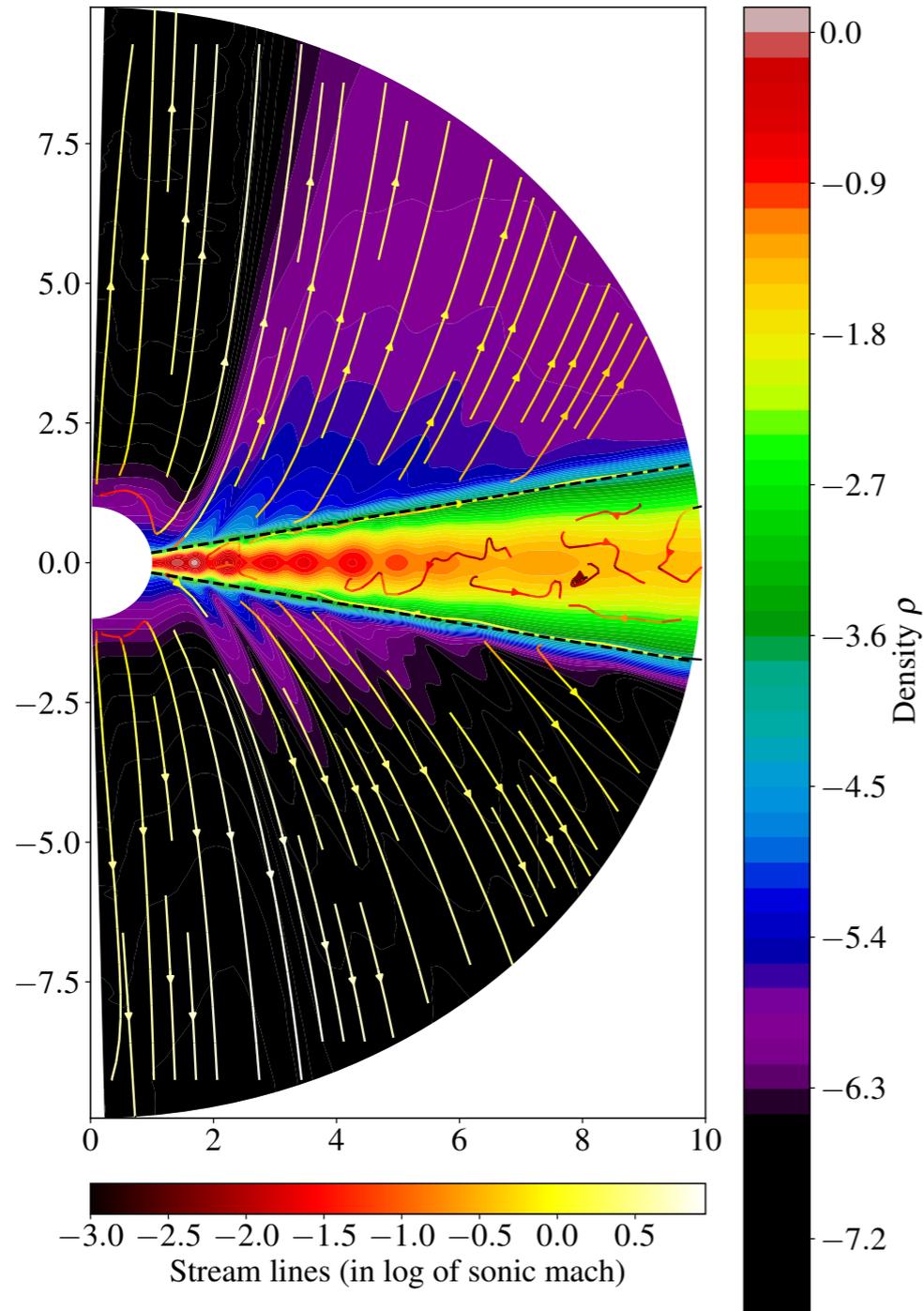


- Faster wind velocity in gaps
- Accretion flow converges towards the gaps (it tries to « fill » the gaps)



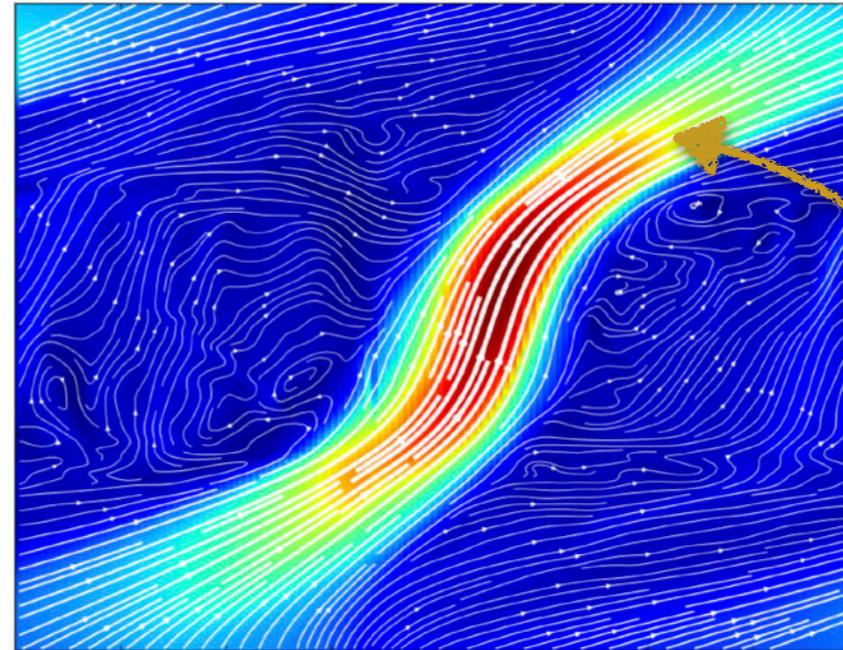
Example: ring formation

In wind-emitting discs

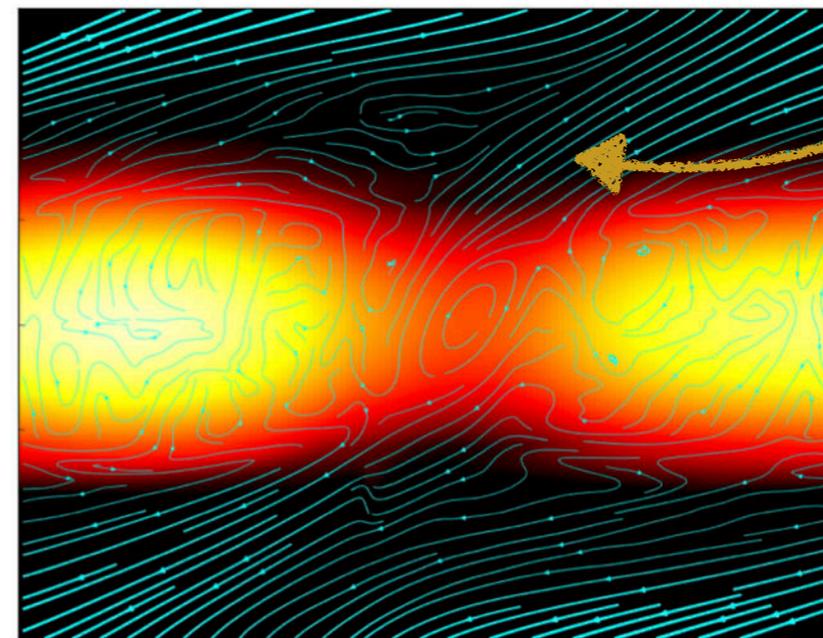


[Riols+2020]

Magnetic field lines



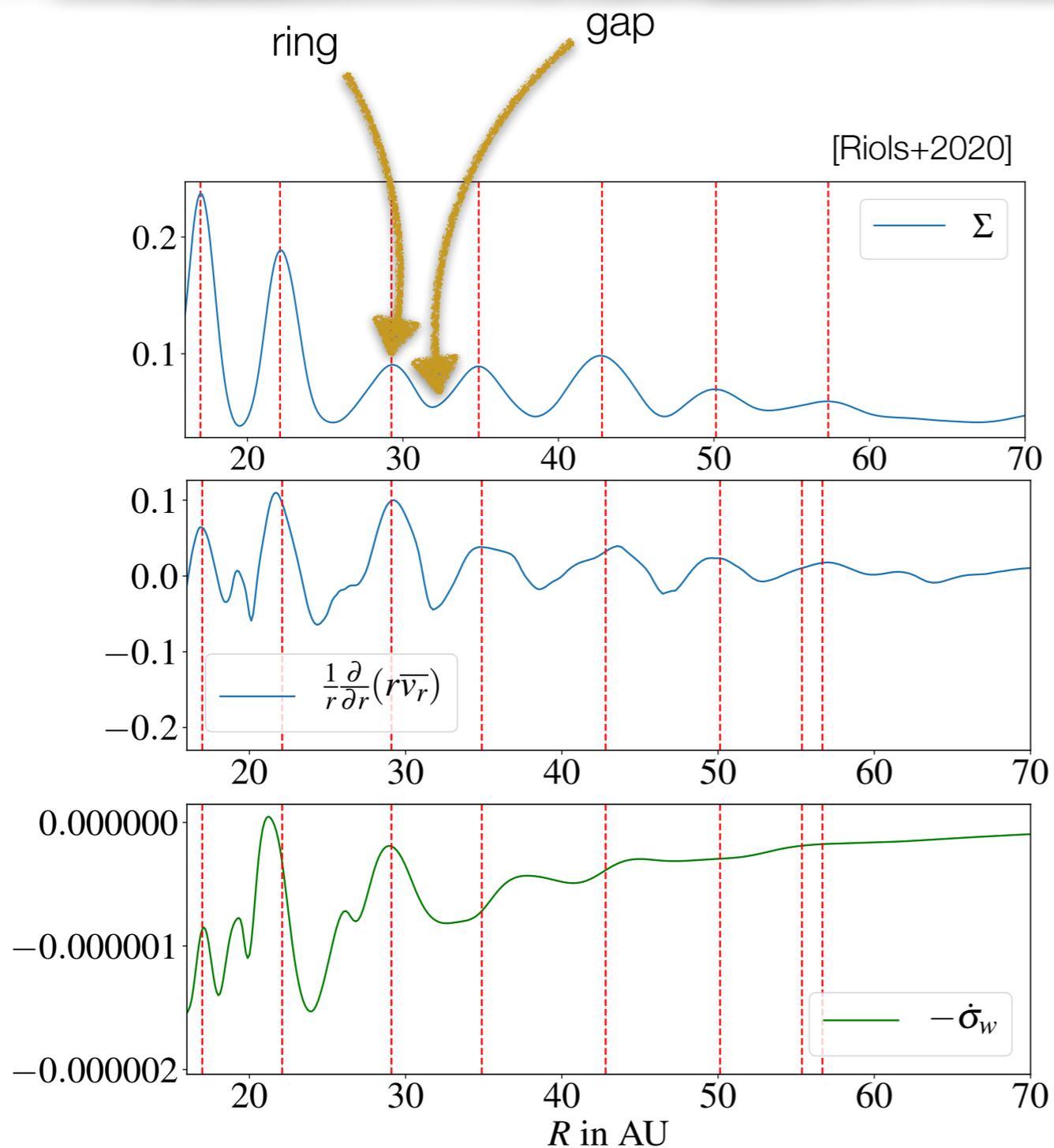
Streamlines



MHD wind
« plume »

[Riols & Lesur 2019]

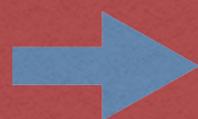
Viscous or wind-driven?



Rings and gaps regularly spaced
Density contrast $\lesssim 2$

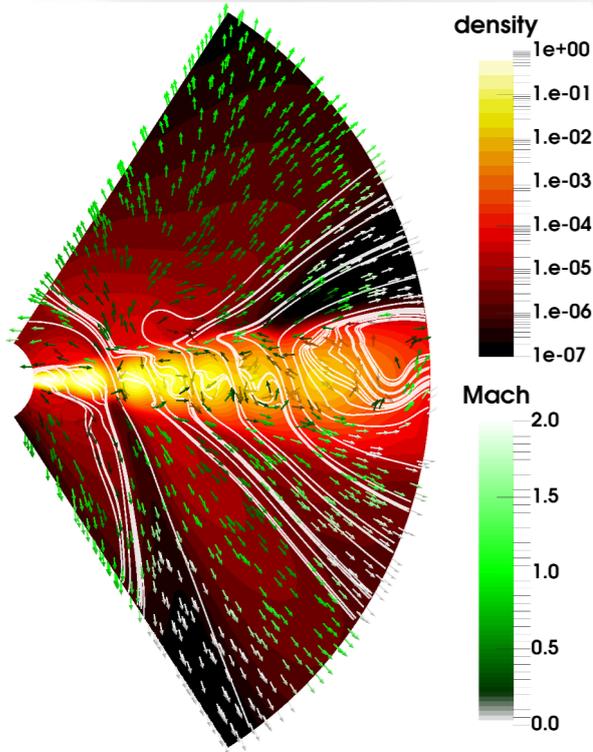
Radially *convergent* flow in rings
(tries to fill the gap)

Larger mass loss rate in gaps
(absolute value)

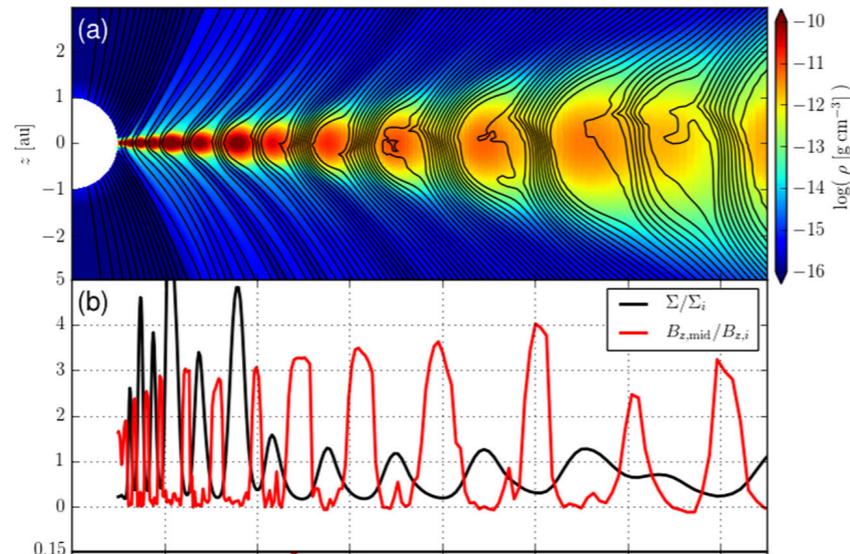


Wind-driven structure formation

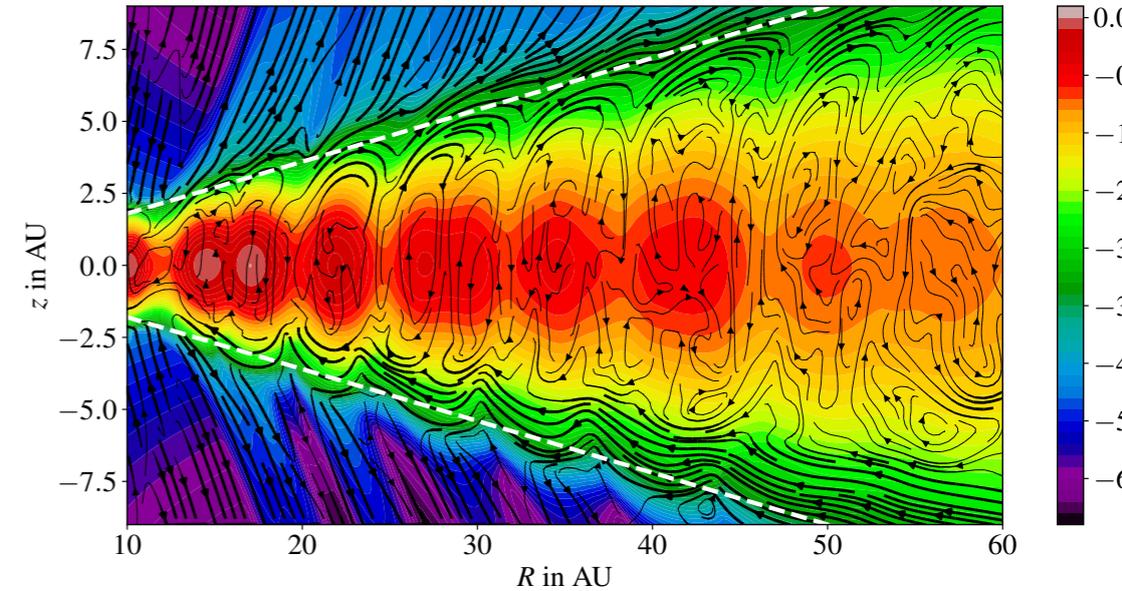
Is this general?



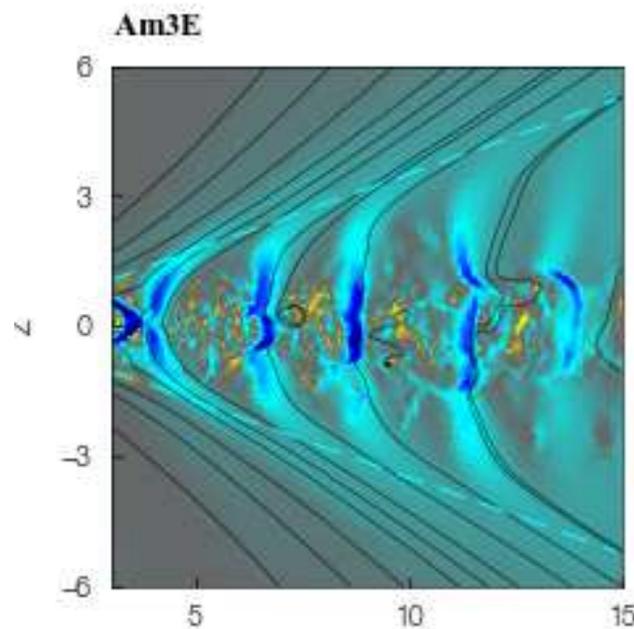
[Béthune+2017]



[Suriano+2018]



[Riols+2020]



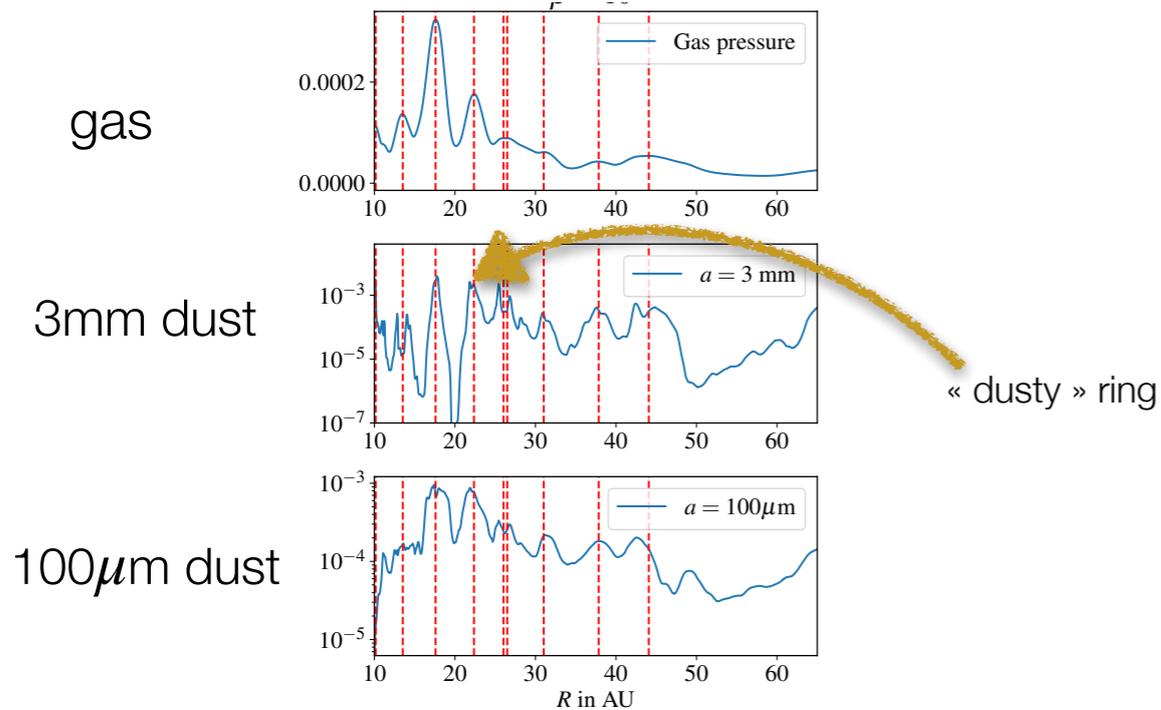
[Cui & Bai 2021]

Common ingredients are

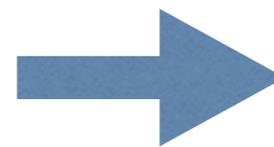
- Ambipolar diffusion (valid for $R > \sim 5 \text{ AU}$)
- Large scale magnetic field (fossil field?)
 $B \geq \text{a few mG @ } 10 \text{ AU } (\beta \lesssim 10^4)$

Dust traps and observables

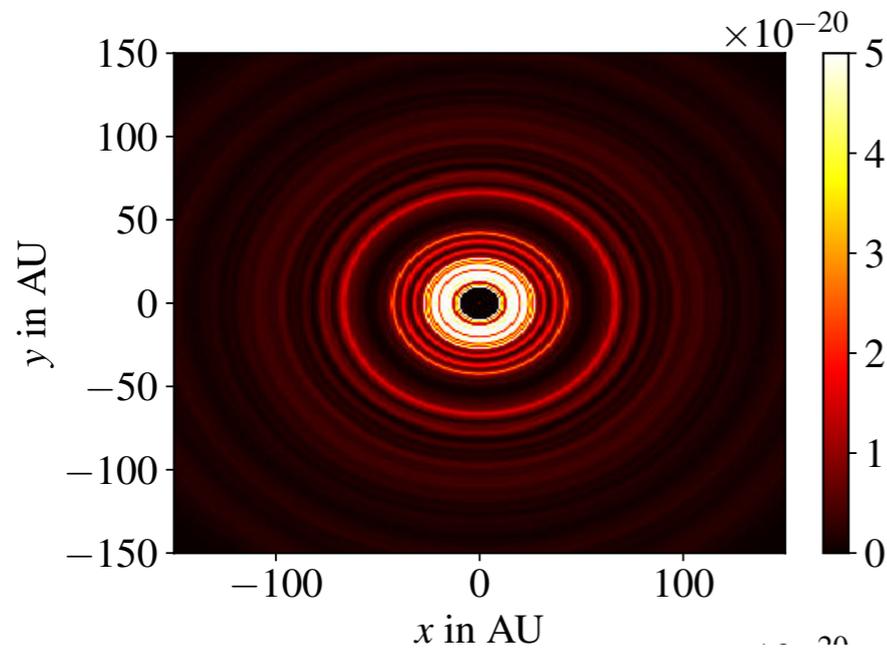
[Riols+2020]



The « gas rings » produced by winds are steady-state pressure bumps (as expected)



They act as dust traps



Synthetic ALMA image @1mm

Flux density and spectral index

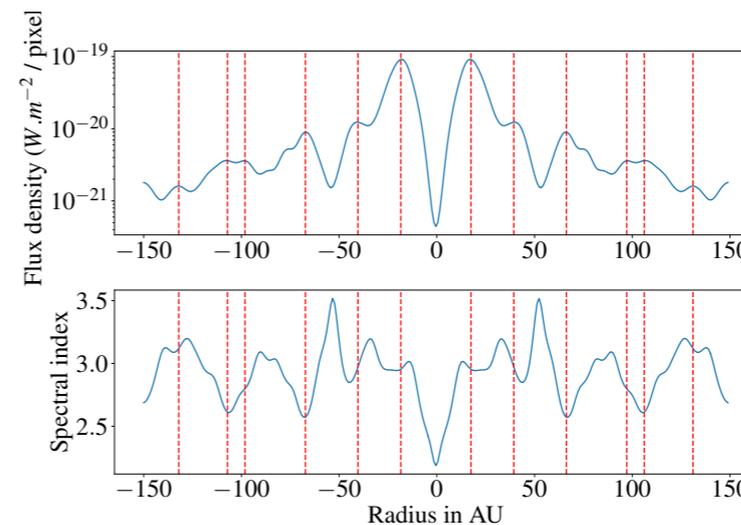


Fig. 14. Top panel: convolved flux density νF_ν in $\text{W m}^{-2} \text{pixel}^{-1}$ as a function of radius. Bottom panel: spectral index $\alpha_s = d \log F(\nu) / d \log \nu$ as a function of radius measured between $\lambda = 1 \text{ mm}$ (ALMA band 7) and $\lambda = 3 \text{ mm}$ (ALMA band 3).

MHD wind spontaneously create visible dust ring structures

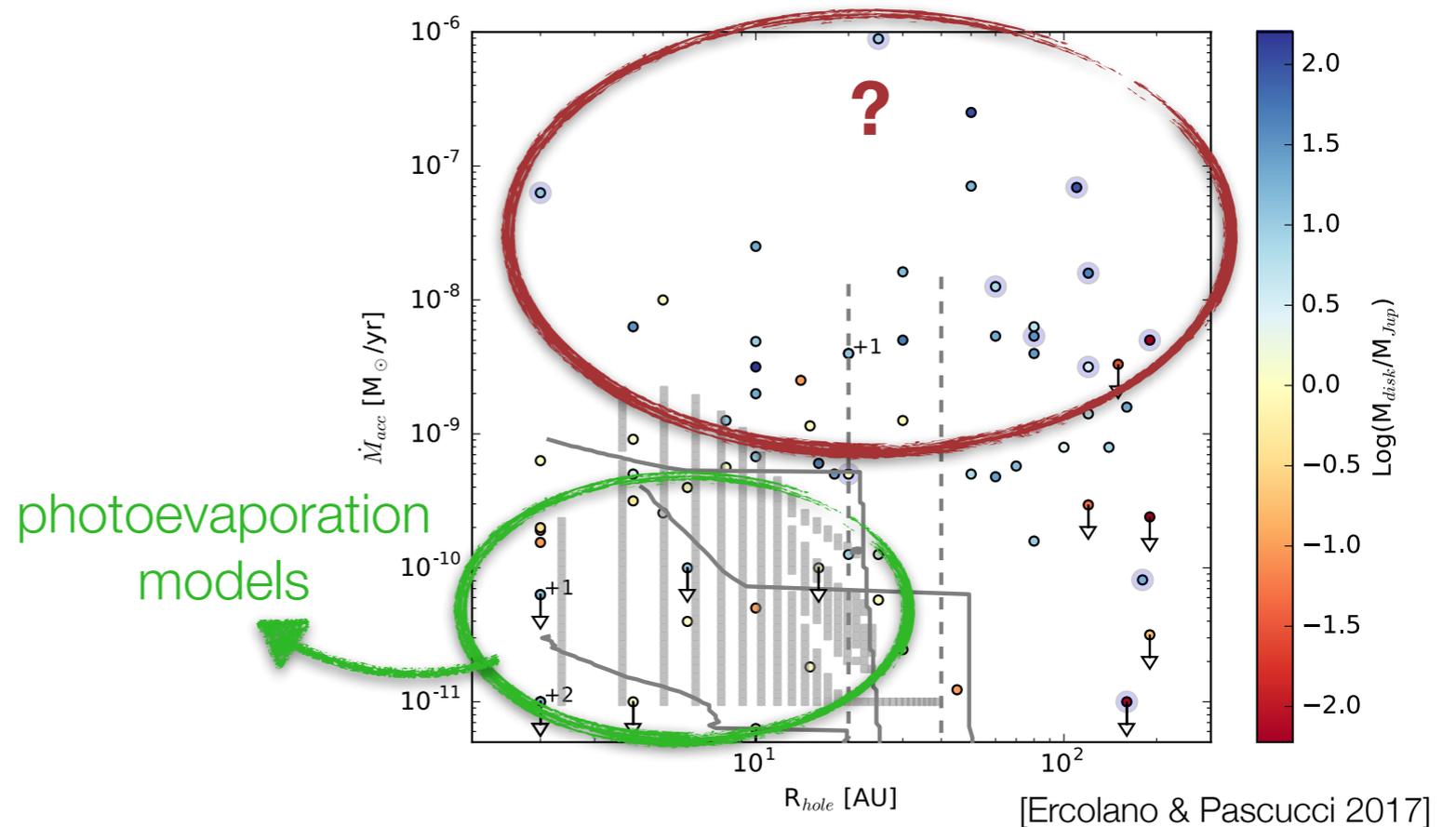
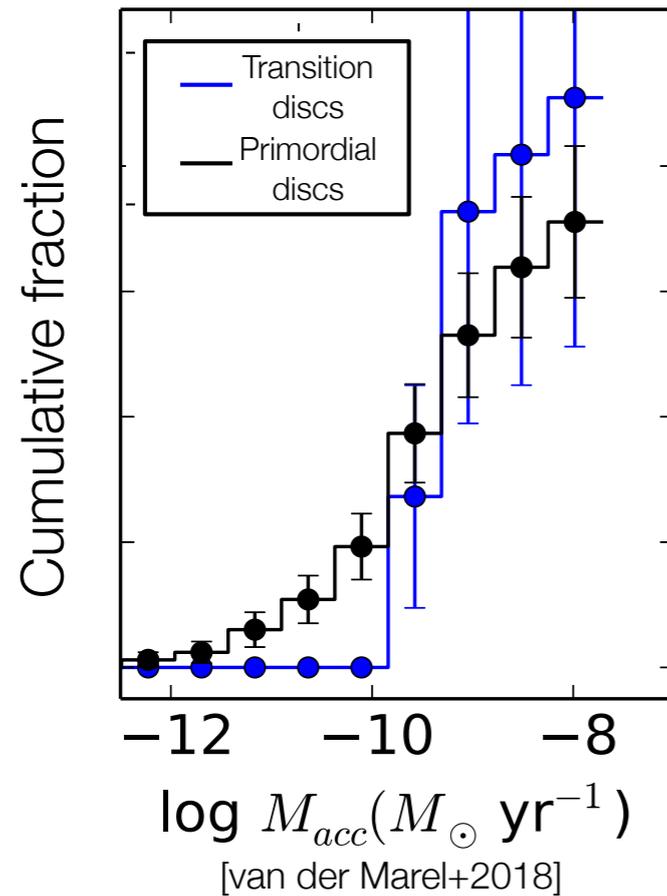
Transition discs

MHD disc winds as a planet-free model of transition discs



Etienne Martel
PhD student @ IPAG

Accretion in transition discs

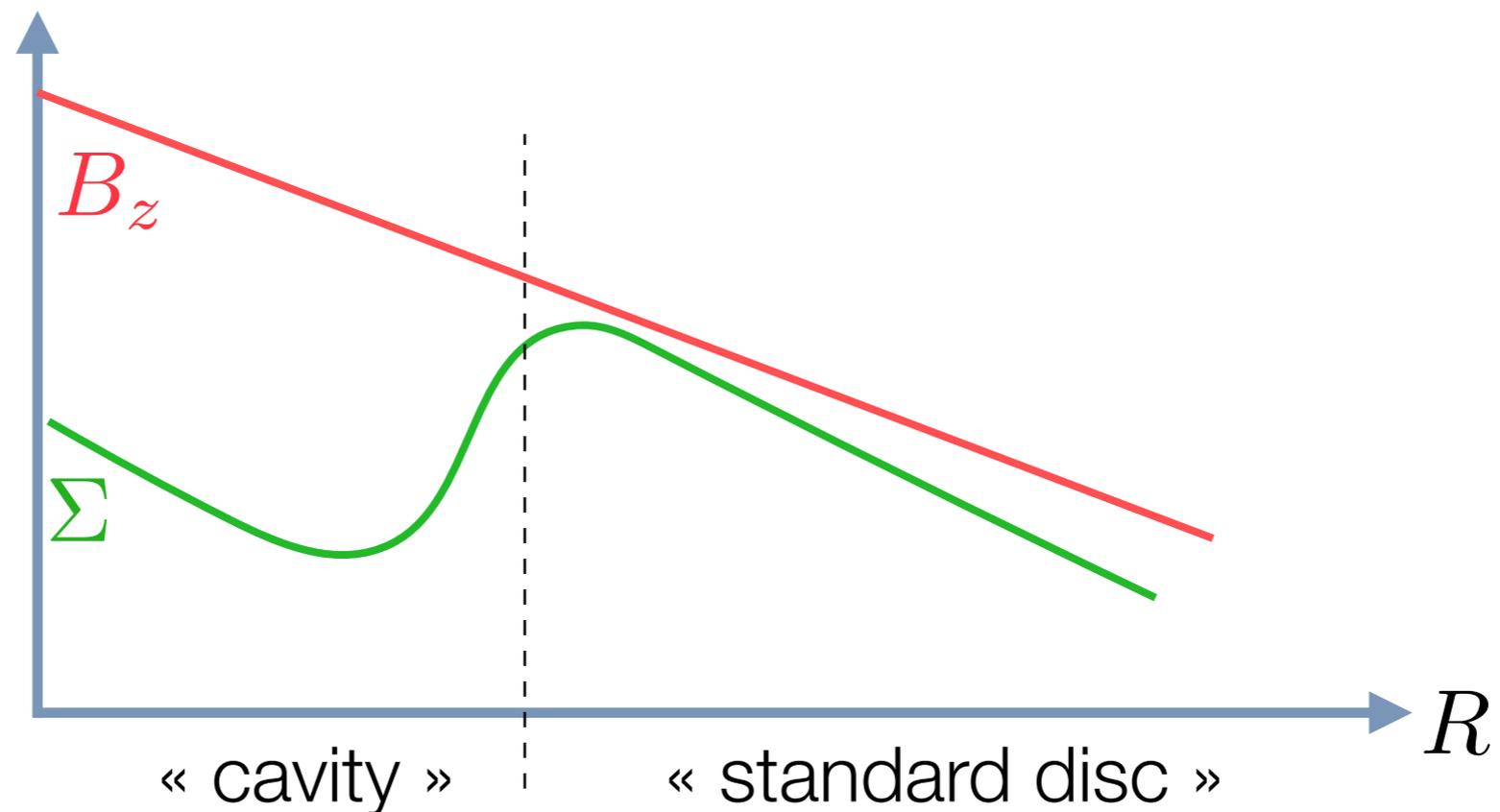


- Transition discs exhibit accretion rates distribution similar to primordial discs
- Photoevaporation alone cannot explain high \dot{M}_{acc} transition discs
- In a viscous disc $\dot{M}_{acc} \propto \alpha \Sigma \rightarrow$ low \dot{M}_{acc} is expected in a cavity!

Accretion in TDs calls for a non-viscous accretion mechanism

The model

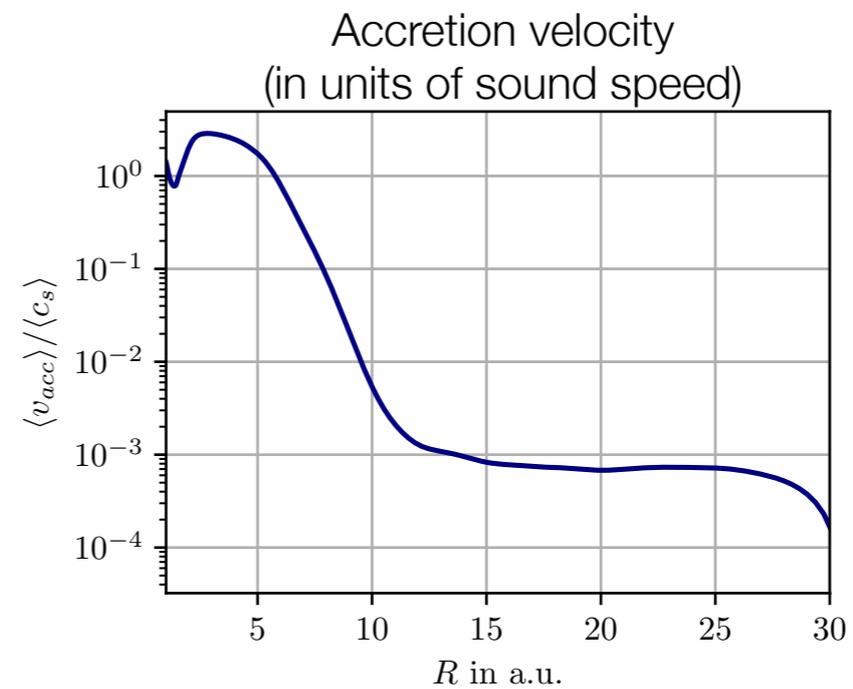
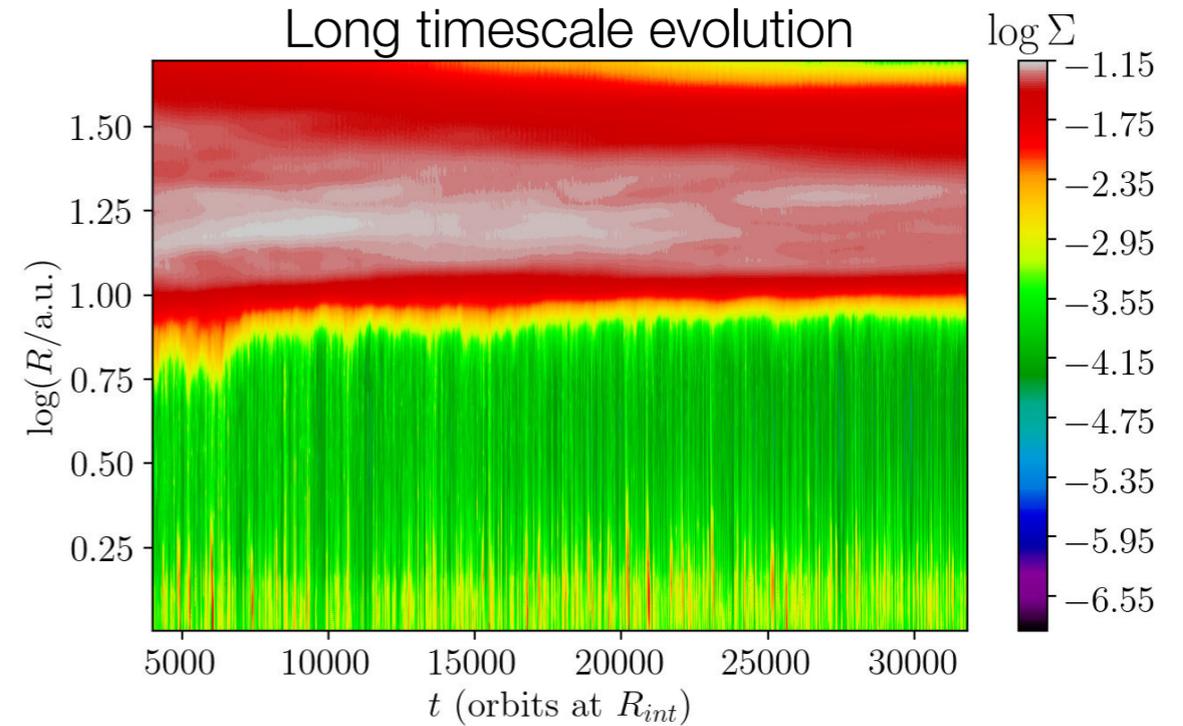
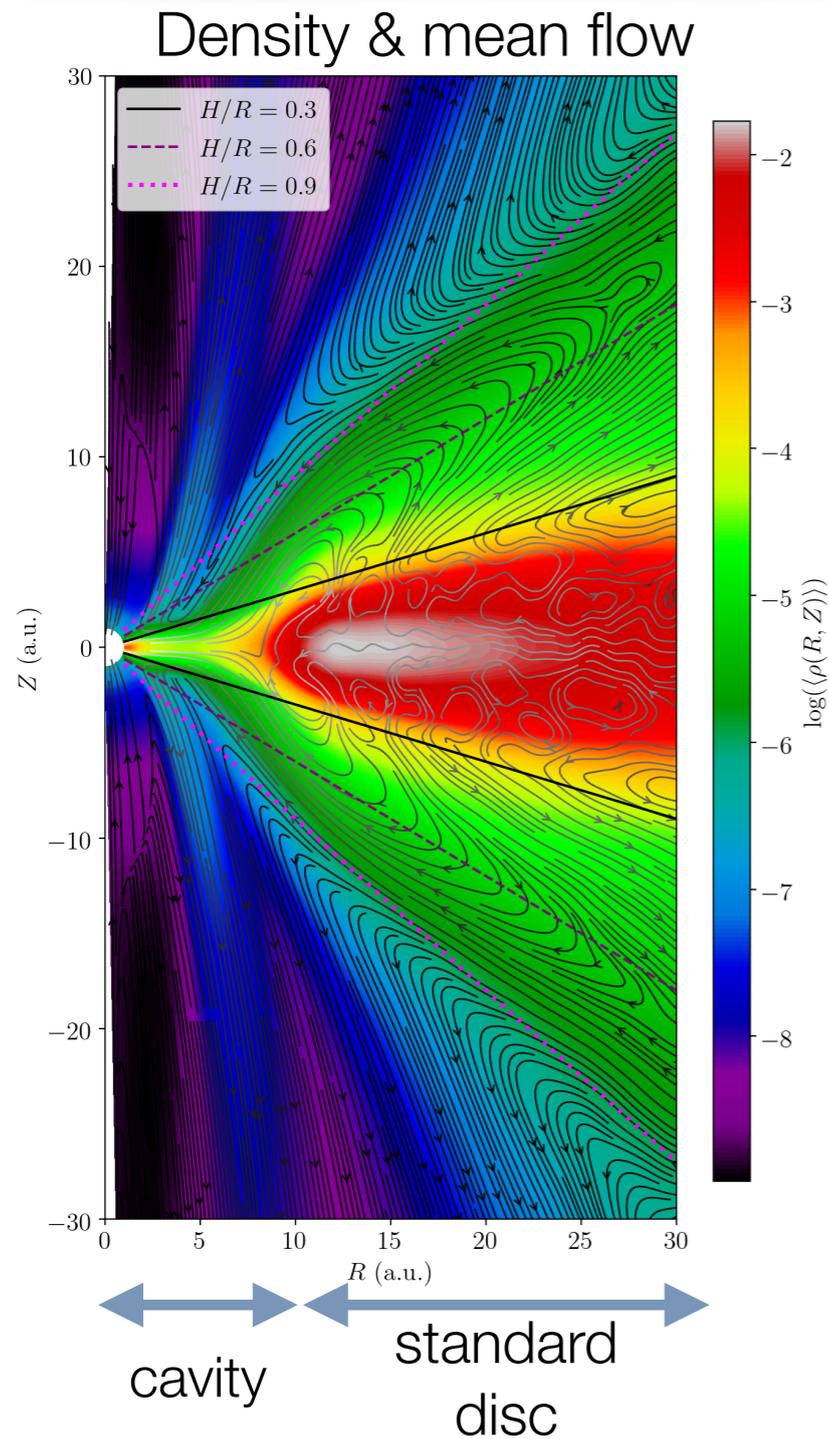
Largely inspired from Combet & Ferreira 2008



- Cavity only in surface density
- B_z follows a power law distribution
- Cavity and standard disc both weakly ionised \rightarrow non-ideal MHD (mostly ambipolar diffusion, see Wang & Goodman 2017)

Some results

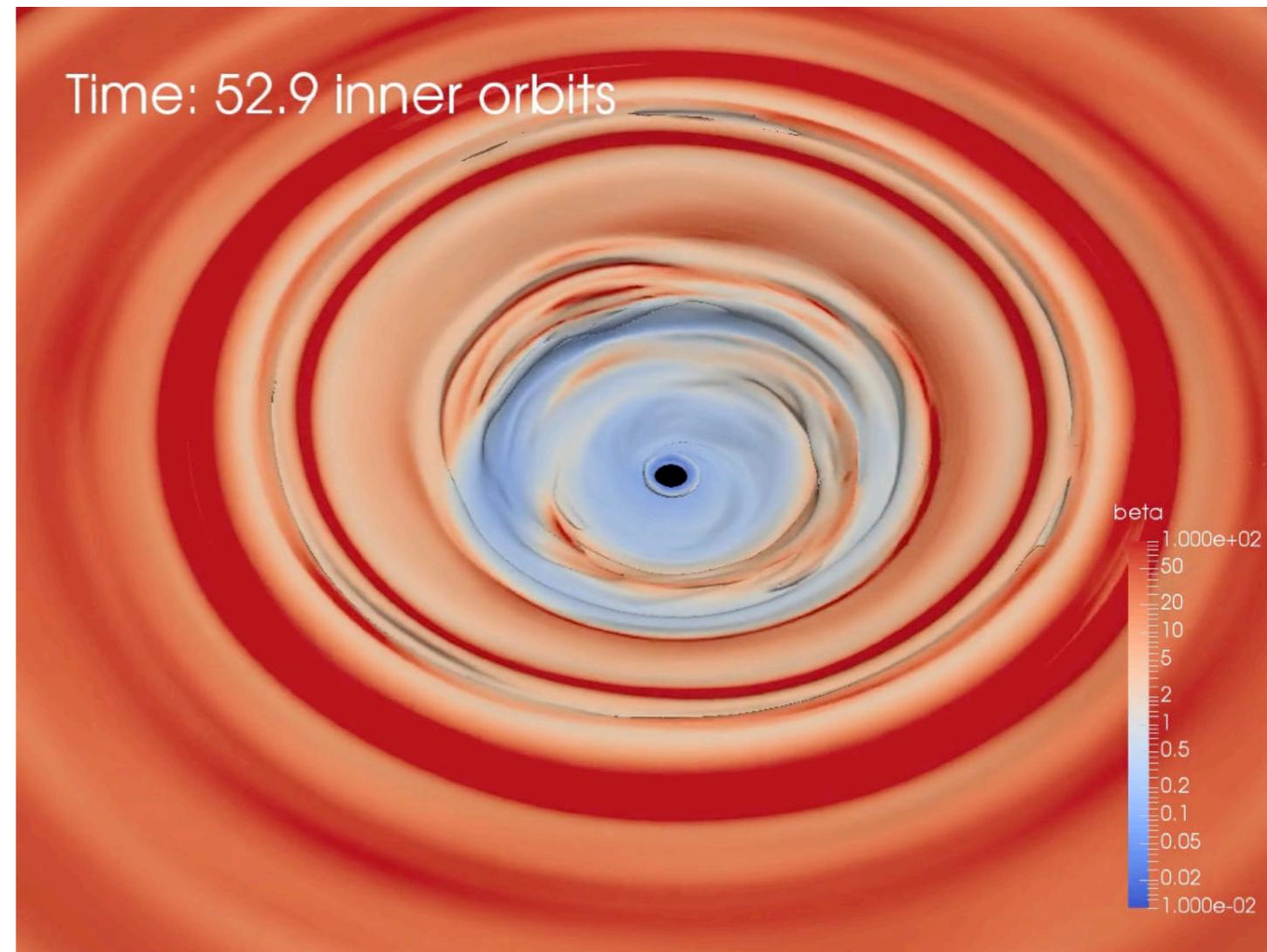
[Martel & Lesur in prep]



MHD winds successfully produce steady TD-like cavities
with accretion rates that match « standard » discs

Conclusions

- MHD disc winds transport mass according to the local magnetic field strength
- They can spontaneously carve gaps in the disc structure
- Could explain high accretion rates in transition discs (similar to MADs around black holes?)



Magnetised transition disc in action